# Runway Capacity Examples: Two Dependent Runways and 3 Runways 

CEE 4674<br>Analysis of Air Transportation Systems

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## Example: Two Dependent Parallel Runways

## Problem Statement

- An airport has two parallel runways separated 800 meters away form each other (oriented 090-270 degrees)
- The following parameters are known for this airport

| Technical Parameters (inputs) | Parameter | Values |
| :--- | :--- | :--- |
| Dep-Arrival Separation (nm) | $\delta$ |  |
| Common Approach Length (nm) | $\gamma$ | 2 |
| Standard deviation of Position Delivery Error (s) | $\sigma$ | 8 |
| Probability of Violation | Pv | 20 |

- The airport operates under IFR conditions with the following separation matrices:

| Minimum Separation Matrix $(\mathrm{nm})$ |  | Arrivals-Arrivals |  |  |
| :--- | :--- | :--- | :--- | :--- |
|  |  | Trailing |  |  |
| Arrival-Arrival |  |  |  |  |
|  | Small | Large | Heavy |  |
| Small | 3 | 3 | 3 |  |
| Large | 5 | 3 | 3 |  |
| Heavy | 6 | 5 | 4 |  |

## Problem Statement

- Departure-Departure Separations

| Departure-Departure Separation Matrix (seconds) |  |  |  |  |  |  | Departure-Departure |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Trailing |  |  |  |  |
|  | Small |  | Large |  | Heavy |  |  |
| Small |  | 60 |  | 60 |  | 60 |  |
| Large |  | 90 |  | 90 |  | 90 |  |
| Heavy |  | 120 |  | 120 |  | 120 |  |

- Other parameters

|  | Small | Large |  | Heavy |  |
| :--- | ---: | ---: | ---: | ---: | :---: |
| ROT (s) | 46 | 52 | 60 |  |  |
| Percent Mix | 30 | 40 | 30 |  |  |
| Vapproach (knots) | 100 | 140 | 150 |  |  |

## Questions

- Draw the Pareto capacity diagram for the airport if one runway is used for arrivals and one for departures
- Draw the Pareto capacity diagram for the airport if both runways are used in mixed operations mode (i.e., arrivals and departures on both runways). Do the analysis for IFR operations.


## Solution

## Using the Excel Spreadsheet for Calculations

## Airport Runway Segregated Operations

- Two parallel runways spaced 800 meters away (2,624 feet)
- Recall: FAA requires minimum of 2,500 feet and an airport surveillance radar system to allow one runway for arrivals and its parallel one for departures



## FAA Rule for Segregated Operations (see Notes \# 5 Runway Separations)

When a surveillance radar is available at the airport,

- Simultaneous departures and arrivals can be conducted if two parallel runways are located $2,500 \mathrm{ft}$.
Departure
Stream



## Pareto Diagram for Segregated Operations



## Airport with Both Runways under Mixed Operations

- Two parallel runways spaced 800 meters away (2,624 feet)
- Recall: FAA requires minimum of 3000 feet and a PRM (Precision Runway Monitor) system to allow simultaneous independent parallel approaches
- Therefore: runways are operated with dependent arrivals but independent departures ( 2 rules)



## FAA Rule for Dependent Runway Arrival Operations (see Notes \# 5 Runway Separations)

When a surveillance radar is available at the airport,

Procedures exist to conduct dependent arrivals when runway separation is below $4,300 \mathrm{ft}$. and above 2,500 ft. (standard radar).

Dependent arrival streams
Runway 1


Runway 2

## FAA Rule for Independent Runway Departure Operations (Notes \# 5 Runway Separations)

When a surveillance radar is available at the airport,

- Simultaneous departures can be conducted if two parallel runways are located $2,500 \mathrm{ft}$.



## Solution for Dependent Arrivals

- Arrival to both runways are dependent
- Select a primary runway for analysis and then select the runway that is dependent on the primary runway (called secondary runway)



## Solution and Analysis

- Lets add two buffers of 33 seconds to simulate probability of violations of $5 \%$ (consistent with human factor studies)
- This brings the minimum gap for an arrival on the second runway to be : 147 seconds
- Now lets find gaps between successive arrivals on the primary runway with at least a gap of 140 seconds. The matrix of successive arrivals on the primary runway is shown below

| 49 |  |
| :--- | :--- |
| 50 | Augmented Matr |
| 51 |  |
| 52 |  |
| 53 | Small |
| 54 | Large |
| 55 | Heavy |


| Trailing |  |  |
| :---: | ---: | :--- |
| Small | Large |  |
| 141.00 | 110.14 | 105.00 |
| 262.29 | 110.14 | 105.00 |
| 312.00 | 166.71 | 129.00 |

## Example Interpretation of Analysis

- When a large-large sequence exists, the arrival gap (110 seconds) is not large enough to allow a diagonal separation of 1.5 nm for an arrival on the secondary runway
- When large-small sequence exist, the arrival gap allows an arrival on the secondary runway



## Solution for Diagonal Arrivals

- This solutions uses the rule that 1.5 nm is needed between diagonally operated tracks



## Solution Ideas

- Note that for each arrival on the secondary runway we need to account for possible buffers (or position errors) since controllers do not have a fast update of the aircraft position in their radar scopes. The aircraft landing in the secondary runway thus pose a higher challenge to the air traffic controller because they require two buffers computed between arrivals in the primary runway.
- The minimum expected gap without buffers allowing an aircraft arrival on the secondary runway is calculated to be 5,320 meters (using simple geometry).


## Solution

- A 5,320 meters distance translates into the following headways for each one of the three aircraft groups operating at this facility:
- $\mathrm{T}_{\text {gap }}-$ heavy $=69$ seconds
- $\mathrm{T}_{\text {gap }}-$ large $=74$ seconds
- $\mathrm{T}_{\text {gap }}-$ small $=103$ seconds
- The expected headway for minimum gap (no buffers) is : $(0.3) 103+(0.4)(74)+(0.3)(69)=81$ seconds.


## Diagonal Separation Solution

- Lets add two buffers of 33 seconds to simulate probability of violations of $5 \%$ (consistent with human factor studies)
- This brings the minimum gap for an arrival on the second runway to be : 147 seconds
- Now lets find gaps between successive arrivals on the primary runway with at least a gap of 140 seconds. The matrix of successive arrivals on the primary runway is shown below


## Solution

- Lets add two buffers of 33 seconds to simulate probability of violations of $5 \%$ (consistent with human factor studies)
- This brings the minimum gap for an arrival on the second runway to be : 147 seconds
- Now lets find gaps between successive arrivals on the primary runway with at least a gap of 140 seconds. The matrix of successive arrivals on the primary runway is shown below



## Solution

| 84 | Arrivals on Secondary Runway per Gap |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 85 |  | Trailing |  |  |  |
| 86 |  | Small | Large | Heavy |  |
| 87 | Small | 0.00 | 0.00 | 0.00 | $\square$ |
| 88 | Large | 1.00 | 0.00 | 0.00 |  |
| 89 | Heavy | 2.00 | 1.00 | 0.00 |  |
| 90 |  |  |  |  |  |



## Solution

- Knowing the probability matrix for both runways, we can estimate the number of gaps where sufficient headway exit allowing and arrivals on the secondary runway
- The approach is similar to that explained in class and executed in the Excel program to estimate departures in the mixed mode case (see rows 93-97 in the Excel spreadsheet)


## Solution for Primary Runway

## Arrival - Departure Diagram



## Remarks

- If all conditions are met as stated, the airport can process 23 $+9=\mathbf{3 2}$ arrivals per hour under the strategy that one runway is used at the saturation level and the second one is only used when available gaps on the primary allow arrivals in the secondary runway.
- To estimate the number of departures when the arrivals is 9.2 per hour we turn our attention to the original Pareto diagram for the primary runway only.
- The figure suggests that if arrivals are processed at a rate of $9 / \mathrm{hr}$, we could process 33 departures/hr on the same runway.


## Remarks

## Arrival - Departure Diagram



## Remarks

- This provides a first estimate of the number of departures on the secondary runway when 9 arrivals are processed in the same runway
- The primary runway handles 17 departures and 23 arrivals per hour
- Therefore, the new close-parallel configuration will handle $(17+33=50)$ departures and 32 arrivals on two runways
- When only departures are allowed, the number of departures just doubles compared to the single runway case (i.e., 80 departures per hour as shown in the Pareto diagram)


## Final Solution



## Example: Three Dependent Runways

## Problem Description

- The airport to be studied in this problem is shown in Figure 1
- The airport has two 9,000 foot runways with a configuration shown in the Figure 1 (see Page 5)
- The airport has an airport surveillance radar (ASR) which tracks aircraft up to 60 miles form the airport site
- Tables 1 and 2 show the typical ATC separations at the airport under IMC conditions
- Tables 3 and 4 show the separations under VMC conditions
- The airport has the following technical parameters: a) in-trail delivery error of 16 seconds, b) departure-arrival separation for both VMC and IMC conditions is 2 nautical miles, c) probability of violation is $5 \%$
- Arriving aircraft are "vectored" by ATC to the final approach fix (see Figure) located 7 miles from the runway threshold


## Problem Description

- The airport has an aircraft fleet mix made up of $10 \%$ small, $65 \%$ large and $25 \%$ heavy wake class aircraft
- The characteristics of the aircraft are given in Table 5
- Observed runway occupancy times in the field are: 48, 55 , and 62 seconds for small, large and heavy aircraft, respectively
- Assume the 3-point runway deceleration calculation method applies to this problem to estimate the time to cross the intersection


## Problem Description

- In your analysis assume departing aircraft accelerate on the runway at a constant rate of $2.2 \mathrm{~m} / \mathrm{s}^{2}$
- Assume that ATC controllers release departures on runway 18-36, around 10 seconds after an arriving aircraft crosses the intersection between runways 09L-27R and 18-36
- Arrivals and departures are not airborne at the intersection
- For departures on runway 18-36 to occur, it is desired that when the departing aircraft is released from the takeoff position, the next arrival to runway 09L be no less than 2.0 nm from the arrival threshold
- This rule is used by ATC controllers to schedule departures on runway 36


## Problem Description



## Problem Description (IFR Separations)

Table 1. Minimum arrival-arrival separations under IMC conditions. Values in are nautical miles.

| Minimum Separation Matrix (nm) |  | Arrivals-Arrivals |  |
| :--- | :---: | :--- | :--- | :--- |
| Lead | Trailing |  |  |
|  | Small | Large | Heavy |
| Small | 3 | 3 | 3 |
| Large | 5 | 3 | 3 |
| Heavy | 6 | 5 | 3 |

Table 2. Minimum departure-departure separations under IMC conditions. Values in are in seconds.

| Departure-Departure Separation Matrix (seconds) |  |  |  |
| :--- | :--- | ---: | ---: |
| Lead | Trailing |  |  |
|  |  |  |  |
| Small | Small | Large | Heavy |
| Large | 60 | 60 | 60 |
| Heavy | 60 | 60 | 90 |

## Problem Description (VFR Separations)

Table 3. Minimum arrival-arrival separations under VMC conditions. Values in are nautical miles.

| Minimum Separation Matrix $(\mathrm{nm})$ | Arrivals-Arrivals |  |  |
| :--- | :---: | ---: | :--- |
| Lead | Trailing |  |  |
|  | Small | Large | Heavy |
| Small | 2.4 | 2.4 | 2.4 |
| Large | 5 | 2.4 | 2.4 |
| Heavy | 6 | 4 | 2.7 |

Table 4. Minimum departure-departure separations under IMC conditions. Values in are in seconds.

| Departure-Departure Separation Matrix (seconds) |  |  |  |
| :--- | :--- | :--- | :--- |
| Lead | Trailing |  |  |
|  | Large | Heavy |  |
| Small | 50 | 50 | 50 |
| Small | 50 | 50 | 75 |
| Large | 90 | 90 | 90 |

## Problem Description (Runway Performance)

Table 5. Runway Performance Data.

| Aircraft Group | Parameters | Representative Aircraft |
| :--- | :--- | :--- |
| Small aircraft | Approach speed $=125 \mathrm{knots}$ <br> Touchdown location $=1,200$ feet <br> Average deceleration $=-4.2 \mathrm{ft} / \mathrm{s}^{2}$ | Cessna Citation 560, Citation <br> Free roll time $=2.0$ seconds <br> (after touchdown and before <br> braking) |

## Questions

1.Calculate the arrival-departure saturation capacity diagram (Pareto diagram) under IMC conditions for this airport
2.Calculate the arrival-departure saturation capacity diagram (Pareto diagram) under VMC conditions for this airport

- State all your assumptions in your calculations


## Solution Steps to the Problem

- Start with a single runway analysis for IMC conditions
- Identify interactions between runways
- Use the principle of superposition whenever possible (i.e., study independent runways and then add their capacity)
- Set-up a manual simulation scheme to look at various operational strategies for the airport


## Single Runway Analysis (Arrival Operations)

- Use the spreadsheet program provided in class or your own manual calculations

| Pij Matrix |  |  |  |  |
| :--- | :--- | :---: | :---: | :---: |
|  | Trailing |  |  |  |
|  | Small | Large | Heavy |  |
| Small | 0.010 | 0.065 | 0.025 |  |
| Large | 0.065 | 0.423 | 0.163 |  |
| Heavy | 0.025 | 0.163 | 0.063 |  |

## IFR <br> Conditions

| Augmented Matrix $(\mathrm{Tij}+\mathrm{Bij})$ |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
|  | Trailing |  |  |  |
|  | Small | Large | Heavy |  |
| Small | 112.80 | 100.88 | 96.08 |  |
| Large | 178.34 | 100.88 | 96.08 |  |
| Heavy | 211.82 | 153.74 | 96.08 |  |

> Arrivals-Only
> Capacity 30.98 per hour

## Single Runway Analysis (departure operations)

| Pij Matrix |  |  |  |  |
| :--- | :--- | :---: | :--- | :--- |
|  | Trailing |  |  |  |
|  | Small | Large | Heavy |  |
| Small | 0.010 | 0.065 | 0.025 |  |
| Large | 0.065 | 0.423 | 0.163 |  |
| Heavy | 0.025 | 0.163 | 0.063 |  |

## IFR <br> Conditions

| Departure-Departure Separation Matrix (seconds) |  |  |  |  |  |  |
| :--- | :--- | :---: | ---: | :---: | :---: | :---: |
|  | Trailing |  |  |  |  |  |
|  | Small | Large | Heavy |  |  |  |
| Small | 60 | 60 | 60 |  |  |  |
| Large | 60 | 60 | 90 |  |  |  |
| Heavy | 120 | 120 | 120 |  |  |  |

## IFR Capacity Pareto Diagram (Single Runway Analysis)

Saturation Capacity for a Single Runway at the Airport under Various Operational Conditions. The diagram applies to one runway (either 09L-27R or 09R-27L)


## IFR Capacity Pareto Diagram

Saturation Capacity for two runways at the Airport under Various Operational Conditions. The diagram applies to one runway (either 09L-27R or 09R-27L)


## VFR Capacity Pareto Diagram (Single Runway Analysis)

Saturation Capacity for a Single Runway at the Airport under Various Operational Conditions. The diagram applies to one runway (either 09L-27R or 09R-27L)


## (Two Parallel and Independent Runways)

Saturation Capacity for a Single Runway at the Airport under Various Operational Conditions. The diagram applies to one runway (either 09L-27R or 09R-27L)


## Observations

- Arrivals on runways 09L and 09R are independent (> 4300 ft separation) (radar available)
- The Pareto diagram found for one runway replicates for the second parallel runway (also used in mixed operations mode)
- The arrivals-only saturation capacity of the two-runway system is 62 per hour
- The departures-only saturation capacity for two parallel runways is 90 per hour


## Detailed Analysis for Intersecting Runways

- The intersecting runway is treated as another asset at the airport
- Need to answer the fundamental questions:
- Are there any gaps left by successive arrivals (do nothing) allowing departures from runway 36 ?
- Quantify the capacity benefit for IFR conditions


## Approach

- Visualize the situation by drawing various operations
- Determine the added number of departures on runway 36 allowed with the "natural" arrival gaps on runway 09L
- Assume that departures on runway 09L are not processed since runway 36 offers clear advantages
- The diagrams that follow illustrate various steps in the sequence of events likely to happen at the airport as "closing" case, pairwise arrival sequences


## Aircraft Positions at Time $\mathrm{t}=0 \mathrm{~s}$



## Calculations of Travel Time for Landing Aircraft to Cross Runway Intersection

- Calculation of the travel times from threshold crossing point to runway intersection point
- The travel times to cross the intersection of runway 18-36 (as the aircraft lands on runway 09 L ) are: $5.8,5.0$ and 4.6 seconds for small, large and heavy aircraft, respectively
- These travel times influence the ATC tower controller (i.e. local controller) decision on when to clear a departure on the crossing runway

Calculations of Travel Time to Cross Runway Intersection for Departing Aircraft on Runway 36

$$
\begin{aligned}
& S=V_{i} t+\frac{1}{2} a t^{2} \\
& t^{2}=\frac{2 S}{a} \\
& t=\sqrt{\frac{2 S}{a}}
\end{aligned}
$$

Aircraft departing runway 36 take $\sim 23$ seconds to cross the runway intersection
$t=\sqrt{\frac{2 S}{a}}=\sqrt{\frac{2(555.6 \mathrm{~m})}{2.2 \mathrm{~m} / \mathrm{s}^{2}}}=22.5$ seconds

## Aircraft Positions at Time $\mathrm{t}=6 \mathrm{~s}$



## Aircraft Positions at Time $\mathrm{t}=16 \mathrm{~s}$

Runway 36
Aircraft 2 starts its takeoff roll 10 seconds after aircraft 1 clears the intersection (this accounts for ATC situational awareness)

Aircraft Positions
at time $=16$ seconds


Aircraft 1
Runway 27R
where:
Aircraft 2
starts its takeoff
roll
$B_{i j}$ in seconds
$V_{j}$ in knots

## Aircraft Positions at Time $\mathrm{t}=39 \mathrm{~s}$

Aircraft 2 just crossed the runway intersection after a takeoff roll of

23 seconds to reach the intersection point


## Critical Distance at $\mathrm{t}=39 \mathrm{~s}$



## General Observations

- The time period between the leading aircraft arrival (i) on runway 09L and a single departure on runway 36 is around 39 seconds. Define,
$t_{n-36}=$ time for n departures on runway 36
$t_{1-36}=39$ seconds
$t_{2-36}=(39+80)=119$ seconds
$t_{3-36}=(39+80+80)=199$ seconds
$t_{n-36}=39+E\left(t_{d}\right)(n-1)$ seconds
where:
$n=$ number of departures on runway 36
per arrival gap on runway 09L
$E\left(t_{d}\right)=$ expected value of time between
successive departures on runway 36


## General Observations

$t_{n-36}=$ time for n departures on runway 36

- For each successive pair of arrivals on the primary runway (runway 09L-27R), we would have to subtract ( $t_{n-36}$ ) seconds and check the suitability of each natural gap to release $n$ departures on runway 36
- The procedure is analogous to a single runway with mixed operations


## Analysis of Crossing Runway Operations (IFR Case)

| Augmented Matrix (Tij + Bij) |  |  |  |  |  |
| :--- | ---: | :--- | :--- | :--- | :--- |
|  |  |  | Trailing |  |  |
|  | Small |  | Large | Heavy |  |
|  | 112.80 | 100.88 | 96.08 |  |  |
| Small | 178.34 | 100.88 | 96.08 |  |  |
| Large | 211.82 | 153.74 | 96.08 |  |  |
| Heavy |  |  |  |  |  |

Arrival-arrival matrix (Tij+Bij)

- 39 seconds

| Time remaining on following aircraft approach segment (seconds) <br> $\mathrm{n}=1$ |  |  |  |  |  | Trailing |  |  |  |
| :--- | ---: | ---: | ---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Small | Large | Heavy |  |  |  |  |  |  |
| Small | 73.80 | 61.88 | 57.08 |  |  |  |  |  |  |
| Large | 139.34 | 61.88 | 57.08 |  |  |  |  |  |  |
| Heavy | 172.82 | 114.74 | 57.08 |  |  |  |  |  |  |

Time left for following aircraft to reach runway 09L threshold

Analysis of Crossing Runway Operations (IFR Case)

| Distance left between following aircraft and runway threshold $(\mathrm{nm})$ |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :---: | :---: | :---: | :---: |
| $\mathrm{n}=1$ | Trailing |  |  |  |  |  |  |
|  | Small | Large | Heavy |  |  |  |  |
| Small | 2.56 | 2.49 | 2.46 |  |  |  |  |
| Large | 4.84 | 2.49 | 2.46 |  |  |  |  |
| Heavy | 6.00 | 4.62 | 2.46 |  |  |  |  |


| Distance |
| :---: |
| between |
| following aircraft |
| on runway 09L |
| to runway |
| threshold |

Number of Departures on runway 36 per arrival gap on 09L

| $n$ | Trailing |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Small | Large | Heavy |  |  |
| Small |  | 1.00 | 1.00 | 1.00 |
| Large | 2.00 | 1.00 | 1.00 |  |
| Heavy | 2.00 | 1.00 | 1.00 |  |

Potential departures on runway 36 per arrival gap on runway 09L

## Analysis of Crossing Runway Operations (IFR Case)

| Pij Matrix (dim) |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Trailing |  |  |  | Heavy |  |
|  | Small |  | Large |  |  |  |
| Small |  | 0.010 |  | 0.065 |  | 0.025 |
| Large |  | 0.065 |  | 0.423 |  | 0.163 |
| Heavy |  | 0.025 |  | 0.163 |  | 0.063 |

$E D_{g-i j}=P_{i j} D G_{i j} T G$
$E D_{g-i j}=$ equivalent departures per gap between aircraft i and j
$P_{i j}=$ probability of i following j
$D G_{i j}=$ Departures per gap between i and j

| Number of Departures on runway 36 per arrival gap on 09L |  |  |  |  |  | $T G=$ total gaps per hour |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| n |  |  | Trailing |  |  | Sample calculation$E D=0.010 * 1.0 *(30.97-1)=0.3$ |  |
|  | Small | Large |  | Heavy |  |  |  |
| Small |  | 1.00 |  | 1.00 | 1.00 |  |  |
| Large |  | 2.00 |  | 1.00 | 1.00 |  |  |
| Heavy |  | 2.00 |  | 1.00 | 1.00 |  |  |



## Preliminary Conclusions

- The total number of departures on runway 36 is estimated to be 33 per hour
- This is slightly more than the number of arrivals on the primary runway (09L)
- Processing departures on runway 36 is advantageous:
- 8 departures on runway 09L-27R per hour
- 33 departures on runway 36-18 per hour
- Both results assume arrival priority on runway 09L-27R


## Extending the Analysis for Runway 09L and 36 as Dependent Pair

- It is clear that departures operations on runway 36 are clearly coupled to arrivals to runway 09L
- Now we study the situation where arrival gaps on runway 09L are increased allowing more departures on runway 36
- As arrival gaps grow to infinity, the number of departures on runway 36 increase to 45 per hour
- The advantages in the Pareto diagram are shown in the next page


## (Runways 09L and 36 as Coupled Pair)

Saturation capacity for two runways operated with dependent operations. Arrivals on runway 09L, departures on runway 36.


## Capacity Benefits

- It is clear that an expansion of the Pareto diagram is a benefit to the capacity of the airport
- Consider an operating point where the coupled runway pair handles 33 departures and 31 arrivals, the single runway 09L in mixed operations can only process 33 departures and and 15 arrivals



## IFR Capacity Pareto Diagram

 (Coupled Runway Pair 09L / 36 + Runway 09R)Saturation capacity for three runways (coupled pair + single runway). Arrivals on runway 09L and 09R, departures on runway 36 and 09R.


## Final Twist on Departure Capacity

- As the arrivals on runway 09L are reduced to zero (allowing more departures on runway 36 during departure rush periods) it is clear that substantial departure capacity gains are possible operating the coupled pair with sequenced departures (as shown)
- You can show that the departure saturation capacity of the coupled pair is $\sim 80$ per hour
- This in the end increases the departure capacity of the airfield to 125 per hour


Runway 36

# Capacity Diagrams for Various Airports 

## CEE 5614

Analysis of Air Transportation Systems

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## FAA Airport Capacity Benchmarks

- The FAA has conducted detailed capacity studies for the 31 most important airports to determine their VFR and IFR hour capacities
- The details are included in the FAA Airport Capacity benchmark document
- Document: http:// www.faa.gov/about/ office_org/ headquarters_offices/ ato/publications/bench/



## Summary of Top 3I Airports



## Observations

- Airports with largest margins between VFR (Optimal) and IFR capacities are DFW (Dallas Forth Worth), DEN (Denver) and ORD (Chicago)
- These airports have multiple parallel runways that benefit from VFR rules
- Few airports such as San Diego (SAN), La Guardia (LGA), Chicago Midway (MDW) and Fort Lauderdale (FLL) have IFR capacities close to those for VFR
- Capacity is affected by:
- Runway configuration
- Weather
- Aircraft fleet mix


## Planned Improvements (VFR Weather)

- Airport authorities and the FAA have planned some improvements to the top 31 airports



## Airport \# I:Atlanta Hartsfield

- One of the busiest airports in the World

| Aircraft Class | \% Mix |
| :---: | :---: |
| Small | 2.3 |
| Large | 78.5 |
| B757 | 12.0 |
| Heavy | 7.4 |


| Condition | Hourly Capacity |
| :---: | :---: |
| VFR | $180-188$ |
| MarginalVFR | $172-174$ |
| IFR | $158-162$ |

## Airport \# I:Atlanta Hartsfield

- With 4 runways the hourly capacities of the airport are: VFR=180, MVFR =172 and IFR=158 per hour



## VFR Conditions

- Calculated Capacity - Today
- Facility Reported Rate - ATL (arrivals, departures per hr )

source: FAA Airport Capacity Benchmarks


## Airport \# I:Atlanta Hartsfield

- With 5 runways the hourly capacities of the airport are: VFR=237, MVFR =229 and IFR=202 per hour



## VFR Conditions

$=$ Calculated Capacity - Today

- Facility Reported Rate - ATL (arrivals, departures per hr )
 traffic during a single hour
source: FAA Airport Capacity Benchmarks

Airport \# I:Atlanta Hartsfield

- 4-runway Pareto diagram


IFR Conditions

- Note a small reduction in the number of departures under IFR conditions
- Departures wait for arrivals to cross threshold


## Airport \# 2: Boston Logan



## Airport \# 2: Boston Logan

- With 4 runways the hourly capacities of the airport are: VFR=123, MVFR = 112 and IFR=90 per hour

$\Longrightarrow$ Calculated Capacity - Today
- Facility Reported Rate - BOS (arrivals, departures per hr)

VFR Conditions

Each symbol represents actual traffic during a single hour
source: FAA Airport Capacity Benchmarks

Airport \# 2: Boston Logan

- Pareto diagram (Arrivals on Runway 4R, Departures on runways 4R, 4L and 9)


IFR Conditions

- Note airport has an equivalent of one arrival runway in IFR conditions
- Good departure rate

source: FAA Airport Capacity Benchmarks

## Capacity Needs

- This section presents some sample Pareto diagrams for some of the best known airports in the country
- This section provides some ideas on how these Pareto diagrams may have been derived
- An important study is the Capacity Needs in the National Airspace System (FAA, 2007)



## Airports and Metro Areas With Capacity Needs in 2025

Figure 6 Airports and Metropolitan Areas Needing Capacity in 2025 if Planned Improvements Do Not Occur

- 27 alrports that need addiltional capacity In 202515 metro areas that need additional capacity in 2025


Source: Capacity Needs in the National Airspace System

## How is the FAA Trying to Improve the System？

－Next Generation Air Transportation System（NextGen）
Figure C1－Capacity Assumptions－OEP Airports：Detailed Improvements Modeled in 2015 and 2025

|  | E | $\begin{aligned} & 8 \\ & 0 \\ & \hline \end{aligned}$ | 交 | $\frac{4}{8}$ | 웅 | $8$ | J | $\frac{3}{10}$ |  |  | $\frac{3}{6}$ | $\stackrel{\mathbf{g}}{\mathbf{i n}}$ | 2 | 考 | \％ | \％ | $\frac{x}{4}$ | $\frac{n}{5}$ | $\mathfrak{z}$ | S | $8$ | $\frac{8}{8}$ | 道 | 家 | $\frac{2}{3}$ | $\%$ | $\stackrel{\times}{8}$ | $\frac{1}{2}$ | $\frac{x}{z}$ | E | $\frac{2}{6}$ | $\frac{\mathbb{K}}{6}$ | $8$ | $\begin{aligned} & 0 \\ & \text { b } \end{aligned}$ | 古 | \＆ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Reduced Separation Standards <br> －use visual separation in MMC <br> －use $2 / 3 / 4 / 5 \mathrm{NM}$ in IMC | x | x | x | x | x | x | x | x | x |  | x | x | x | x | x | x | $\mathrm{x}^{*}$ | x | x | x | x | $\begin{aligned} & 0^{*} \\ & x \end{aligned}$ | x | x | x | x | x | x | x | x | x | x | x | x | x | x |
| Improved threshold delivery accuracy | 0 | $\bigcirc$ | 0 | 0 | 0 | 0 | $\bigcirc$ | 0 | $\bigcirc$ |  | 0 | $\bigcirc$ | 0 | 0 | $\bigcirc$ | 0 | $\bigcirc$ | 0 | 0 | $\bigcirc$ | $\bigcirc$ | $\bigcirc$ | 0 | 0 | 0 | $\bigcirc$ | 0 | 0 | 0 | 0 | $\bigcirc$ | 0 | $\bigcirc$ | 0 | 0 | $\bigcirc$ |
| 1．5 NM Departure／Arrival separation（IMC） <br> －spacing＜ 2500 ft or same runway | x | x | x | x | x | x | x | x | x |  | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x | x |
| Independent parallel approaches（IMC） －spacing 2500－4299 ft |  |  |  |  |  |  |  |  |  |  |  |  | x |  |  |  |  |  |  |  |  |  |  |  | A |  | x |  | x |  |  | x |  |  | 4 |  |
| Triple indep．parallel approaches（IMC） | 4 |  |  |  |  | 4 |  | 4 | 4 |  | x |  |  |  | $\bigcirc$ | 4 |  |  |  |  | $\bigcirc$ |  |  |  |  | $\bigcirc$ |  |  |  |  |  |  |  | x |  |  |
| ＂Mixed triple＂independent／dependent parallel approaches（IMC） |  |  |  |  | x |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Paired approaches，e．g．SOIA <br> －MMC（spacing 700－2499 ft） | x | $\bigcirc$ |  | 4 |  |  |  |  |  |  |  | $\bigcirc$ |  |  |  |  |  | x | x |  |  |  |  | x |  |  | 0 |  |  |  |  | $\bigcirc$ | 4 |  |  |  |
| －IMC（spacing 1200－2499 ft） |  | x |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Dependent Approaches <br> －MMC／IMC（700－2500 ft spacing） <br> －1．5 NM diagonal behind Small，Large <br> －wake vortex sep behind B757／Heavy |  |  |  |  |  |  |  |  |  |  |  | x |  |  |  |  |  |  | x |  | x |  |  | x |  |  |  |  |  |  |  |  | x |  | 0 | x |
| LAHSO（all weather）if $>7000 \mathrm{ft}$ to intersection |  | $\Delta$ |  |  |  |  |  |  |  |  |  |  |  | x |  |  |  | x |  |  |  |  |  | x |  |  |  |  |  |  |  |  |  |  |  |  |
| Simultaneous Converging Approaches（IMC） |  |  |  |  |  |  |  | N |  |  |  |  |  |  |  |  |  | x |  |  |  |  |  |  | x |  |  |  |  |  |  |  |  |  |  |  |
| Standard Departure／Departure separations （no departure constraints） |  | x |  |  |  |  |  |  |  |  |  |  | x |  |  |  | $\bigcirc$ | x |  |  |  |  |  |  |  |  | x |  |  |  | x |  | x | x |  |  |
| Independent parallel departures（IMC） －no wake vortex separation behind Small／Large（ $700-2500 \mathrm{ft}$ spacing） |  |  |  |  |  |  |  |  |  |  |  | x |  |  |  |  |  | x |  |  | x |  |  | x |  |  |  |  |  |  |  |  | x |  | 0 | x |
| New／extended runways （since 2002） | 4 | $\bigcirc$ | x | 4 | x | 4 |  | A |  |  |  |  | $\bigcirc$ |  | － | A <br> $\mathbf{x}$ |  |  |  |  | 4 |  |  | 4 | 4 | $\stackrel{\circ}{ }$ |  | 0 |  |  |  | $\bigcirc$ |  |  | 4 | x |
|  | 4 <br> 0 <br> $\times$ | 2 |  | capac in | $200$ <br> city <br> city |  | pacity ovem ovem | y <br> ent <br> ment |  |  |  |  |  |  |  |  |  | ual | epara | ations | 15 app |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

Source：Capacity Needs in the National Airspace System

## Boston Logan Airport (VMC)



## Boston Logan Airport (IFR)



- Arrivals on Runways 4R
- Departures on 9, 4L, 4R
- Frequency of Use: $45 \%$ in IFR conditions


