## Quiz 1

Date: February 23, 2007
Instructor: Trani

## Honor Code Pledge

The information provided in this exam is my own work. I have not received information from another person while doing this exam.

Your Name $\qquad$

Your Signature

Write your solutions in a single MSWord file. Cut and Paste all your answers using screen captures. Show all your work. Label your file with your last name and CEE3804. Email your solutions to vuela@vt.edu and ta081@vt.edu. In the email header use the words CEE 3804 Quiz.

## Problem 1 (40 Points)

An engineer formulates a linear programming problem as follows:
Maximize $Z=50 x_{1}+70 x_{2}$
Subject to:
$x_{2} \leq 125$
$x_{1}+x_{2} \leq 420$
and the non-negativity constraints $x_{1} \geq 0$ and $x_{2} \geq 0$.
a) Use Excel Solver to obtain the optimal solution. State the optimal value of $Z$.

| Optimization Problem for Problem 1 |  |  |  |
| :---: | :---: | :---: | :---: |
| Decision Variables |  |  |  |
| $\times 1$ | 295 |  |  |
| $\times 2$ | 125 |  |  |
| Objective Function |  |  |  |
| $50 \times 1+70 \times 2$ | 23500 |  |  |
| Constraint Equations |  |  |  |
| Formula |  |  |  |
| x2 < $=125$ | 125 | 5 <= | 125 |
| x1 + x2 < $=420$ | 420 | $0<=$ | 420 |
| $\times 1>=0$ | 295 | 5 >= | 0 |
| $\times 2>=0$ |  | $5>=$ | 0 |

Figure 1. Solver Solution.
Optimal solution is $\mathbf{x 1}=\mathbf{2 9 5}$ and $\mathbf{x} \mathbf{2}=\mathbf{1 2 5}$. The value of Z is 23500 .
b) Write down the first table to solve the problem using the Simplex method.

Transform the problem to canonical form by adding slack variables to change inequality constraints to equality constraints. Two slack variables are added in the problem.

Max. $Z-50 x_{1}-70 x_{2}=0$
$x_{2}+x_{3}=125$
$x_{1}+x_{2}+x_{4}=420$

Table 1. Initial Table of the Problem. Current Solution is: $x_{1}, x_{2}, x_{3}, x_{4}=\left[\begin{array}{lll}0 & 0125420] \text {. Basic variables are } x_{3}, x_{4} \text {. Non-basic }\end{array}\right.$ variables (i.e., those that are zero in the solution) are $x_{1}, x_{2}$.

| Basic <br> Variable | $\mathbf{Z}$ | $x_{1}$ | $x_{2}$ | $x_{3}$ | $x_{4}$ | RHS |
| :---: | :--- | :--- | :--- | :--- | :--- | :--- |
|  | 1 | -50 | -70 | 0 | 0 | 0 |
| $x_{3}$ | 0 | 0 | 1 | 1 | 0 | 125 |
| $x_{4}$ | 0 | 1 | 1 | 0 | 1 | 420 |

## Problem 2 (30 Points)

A formula to estimate the noise generated by rail vehicles is,

$$
L_{e q}=K_{r e f}+10 \log \left(N_{\text {cars }}\right)+20 \log \left[\frac{v}{40}\right]+10 \log (q)
$$

where:
$L_{e q}=$ equivalent noise level (decibels in scale A -dBA )
$K_{\text {ref }}=$ reference sound exposure level (decibels -dBA)
$N_{\text {cars }}=$ number of cars in the train
$v=$ train speed (mph)
$q=$ hourly average train volume (trains per hour)
a) Write a simple function in Visual Basic for Applications (VBA) to calculate the value of $L_{e q}$ given values of v (speed), $K_{\text {ref }}$ (sound exposure level), $N_{\text {cars }}$ (train cars), and hourly train volume (q). The function created takes four input values for $v$, $K_{\text {ref }}, N_{\text {cars }}$ and $q$. The values of the four input variables are to be entered in the worksheet and should be read by your Visual basic code. Write back the result from the Visual Basic code calculation obtained for $L_{e q}$ to the worksheet.

```
Public Function Lequivalent(K, Ncars, v, q)
* Function to estimate the noise generated by a t
,
* Programmer A.A. Trani
' Date : Feb/26/2012
,
' Input parameters
' K = ref. sound (dBA)
' v = train speed (mph)
' Ncars = no. of cars
' q = volume of traffic (trains /hr)
|
    Lequivalent = K + 10 * Log(Ncars) + 20 * Log(v
End Function
```

Figure 2. Function Lequivalent.
b) Test your function using the following values: the train has 12 cars, the hourly train volume is 15 trains/hr and the train travels at 60 mph . The train studied is an electric locomotive with a reference sound exposure level value of 55 dBA .


Figure 3. Testing the function Lequivalent.

## Problem 3 (30 Points)

Short answers.
a) An engineer has developed two long formulas to estimate construction cost ( $C_{c}$ ) and construction time ( $C_{t}$ ) for a new bridge. These formulas require eleven parameter values to do the calculations. Should the engineer use a function or a subroutine to these calculations. Explain why.

Use a subroutine. The subroutine has the property to produce more than one output.

Examine the following VBA code.

```
    Sheets("sheet1").Select
    mass = Range("a8").Value
If mass < 23000 Then
        aircraft = "Small"
ElseIf mass > 115000 Then
        aircraft = "Heavy"
Else
    aircraft = "Large"
End If
    Sheets("sheet1").Select
    Range("b8"). ClearContents
    Range("b8").Value = aircraft
End Sub
```

b) In three lines explain the purpose of the code.

- Select a value from the spreadsheet and assign to variable "mass"
- Given the mass, assign a string to variable "aircraft: to take one of three values: small heavy or large.
- Write down the "string" value assigned to aircraft into cell B8 (back to spreadsheet)
c) If the mass for an aircraft is 125000 kg what is the class assigned?

Heavy

| 2-Mar-10 |  |
| :---: | :---: |
| Check the VBA code behind |  |
| Mass (kg) Wake class | Calculate |

